Show work. Your work is part of your answer. You may use a calculator.

Name: _____

1. Compute the amount we will have in 3 years if we earn interest compounded annually on \$200 at 4% APR.

2. If we invest \$200 at 4% APR (compunded continuously) how long before we have \$400.

3. Assume I deposit \$1000 per week for 35 years (assume 52 weeks per year) in my retirement fund. Assume the retirement fund earns 8% per year on average. That is,

 $WPR = (1.08)^{1/52} - 1 = 0.001481115792$

where WPR is the weekly percentage rate. How is the account worth in 35 years?

4. Write the following system of linear equations as an augmented matrix.

 $\begin{cases} 2x & -2y &= 8\\ & y &= 2 \end{cases}$

5. Solve the previous system of linear equations by Guass Jordan elimination. Reduce theh augemented matrix to RREF.

6. Let

$$A = \begin{bmatrix} 1 & 0 & 3 \\ -1 & 2 & 3 \end{bmatrix}, \mathbf{x} = \begin{bmatrix} x \\ y \end{bmatrix}, C = \begin{bmatrix} 1 & 2 \\ 1 & 0 \end{bmatrix}, \text{ and } \mathbf{b} = \begin{bmatrix} 1 \\ 3 \end{bmatrix}.$$

- (a) Compute *AC*
- (b) Compute *CA*
- (c) Compute *C***x**
- (d) Compute C^{-1}
- (e) Compute $C^{-1}\mathbf{b}$

- 7. Write the linear system below as a matrix multiplication problem as AX = b.
 - $\begin{cases} 2x +4y = 0\\ 3x +5y = 1 \end{cases}$
 - (a) Identify *A*, **b**, and **x**.
 - (b) Compute A^{-1} and $A^{-1}\mathbf{b}$.
 - (c) Write down the solution to the system.

8. An economy is based on two industrial sectors, coal and steel. Production of a dollar worth of coal requires an input of \$0.10 from the coal sector and \$0.20 from the steel sector. Production of a dollar worth of steel requires an input of \$0.30 from the coal sector and \$0.50 from the steel sector. Find the output for each sector that is needed to satisfy a final demand of \$10 billion for coal and \$30 billion for steel.

9. Graph the feasible region for the following linear inequality. $3x - 2y \le 6$, $x \ge 0$ and $y \ge 0$



• Simple Interest

A = P(1 + rt)

• Compuond interest

$$A = P(1 + \frac{r}{m})^{mt}$$
, and $A = P(1 + i)^{n}$

• Continuosly compunded

 $A = Pe^{rt}$

• Future Value

$$FV = PMT \frac{(1+i)^n - 1}{i}$$

- Present Value $PV = PMT \frac{1 - (1 + i)^{-n}}{i}$
- Leontief Input output matrices

$$X = (I - M)^{-1}D$$